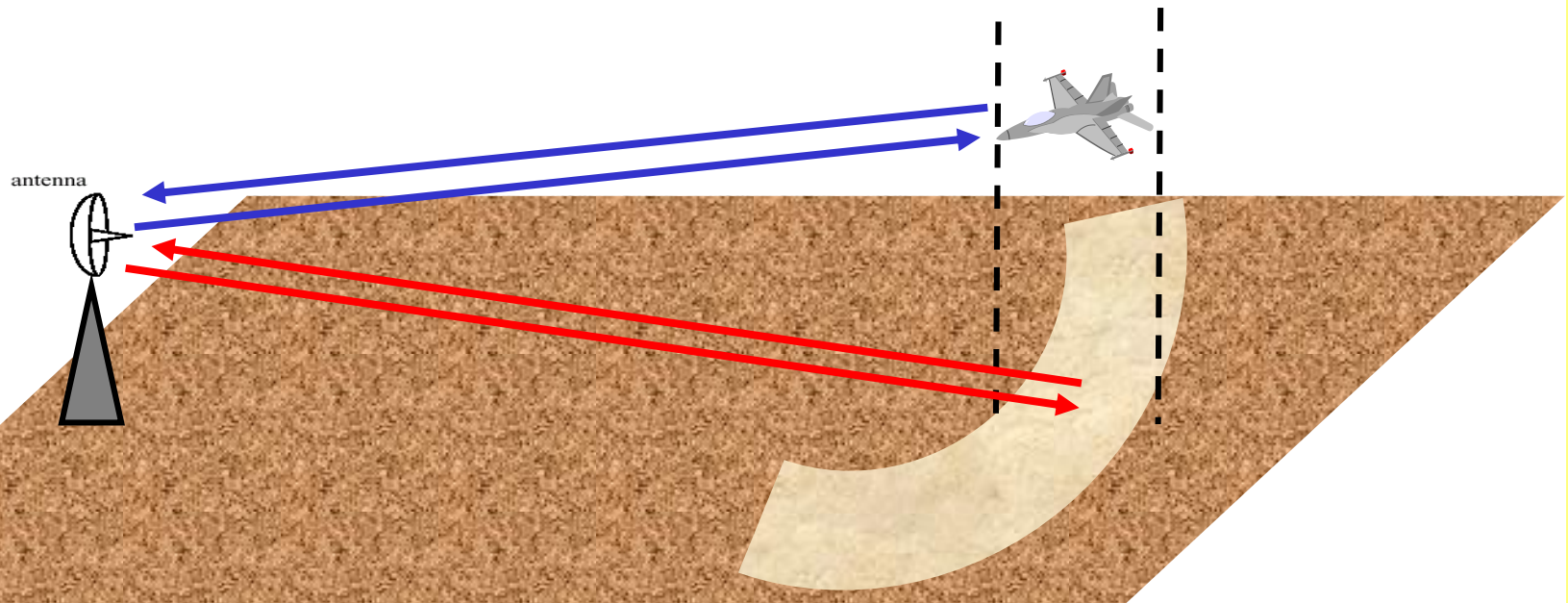


CLUTTER



Area contributing
clutter at target's range

To describe the radar return from an extended target, like ground or sea, we define a new parameter:

Radar cross section per unit area of the surface

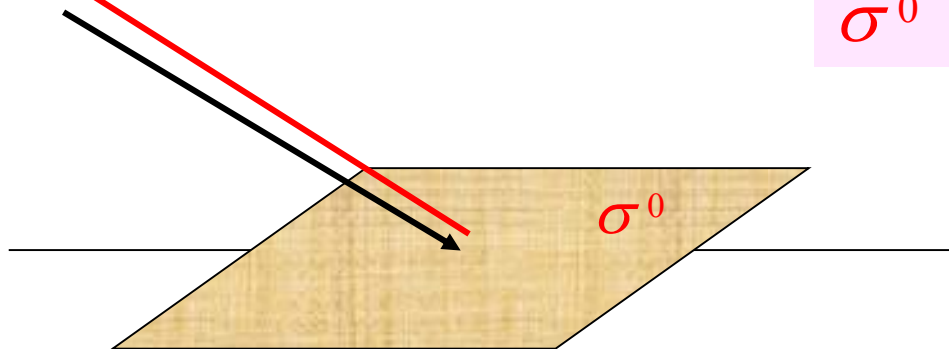
or

Normalized radar cross section (NRCS)

or

σ^0

$$\sigma = A\sigma^0$$

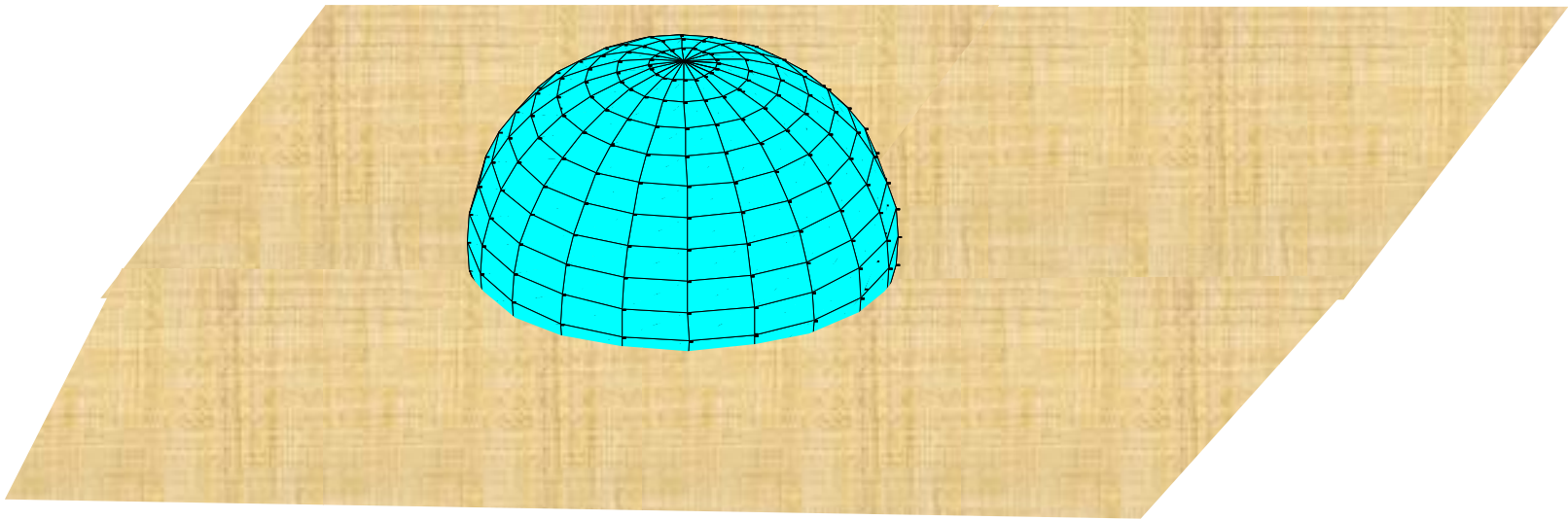


Area = A

σ^0 is dimensionless

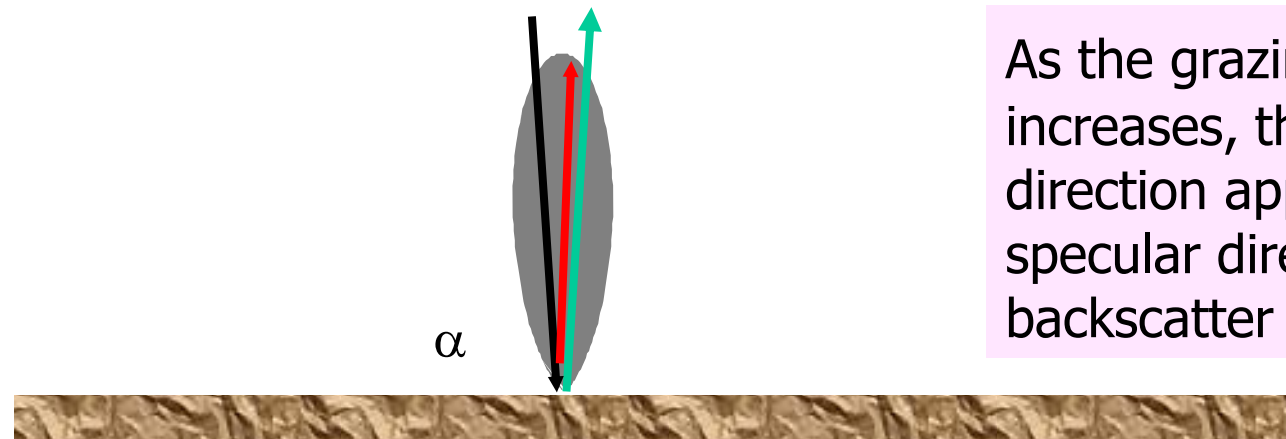
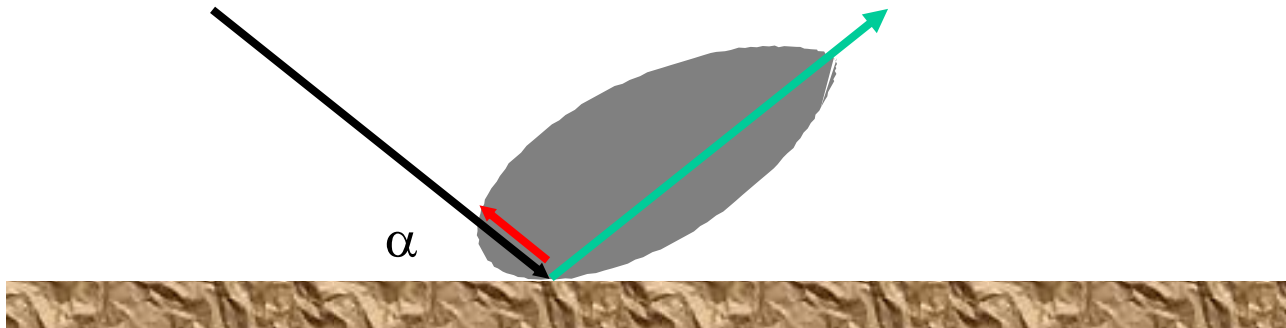
If the surface would have reflected back isotropically, then $\sigma^0 = 1$

If the surface would have reflected back isotropically only above the surface then $\sigma^0 = 2$

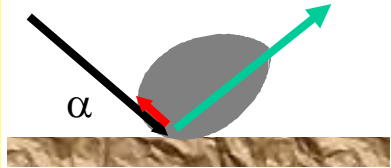


Typical surfaces do not reflect back isotropically.

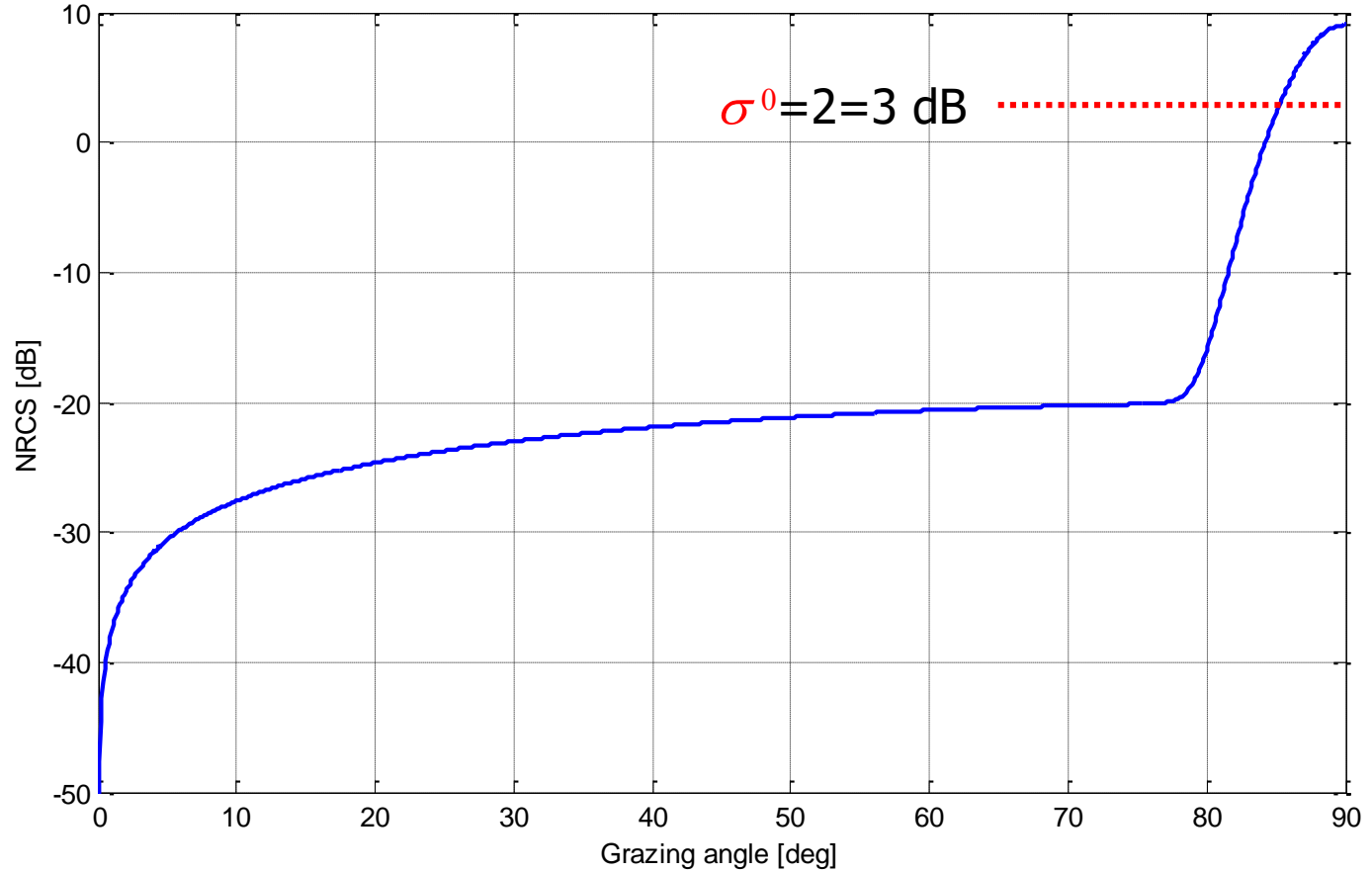
σ^0 depends strongly on the grazing angle and the surface roughness



As the grazing angle α increases, the backscatter direction approaches the specular direction, and the backscatter intensity increases.

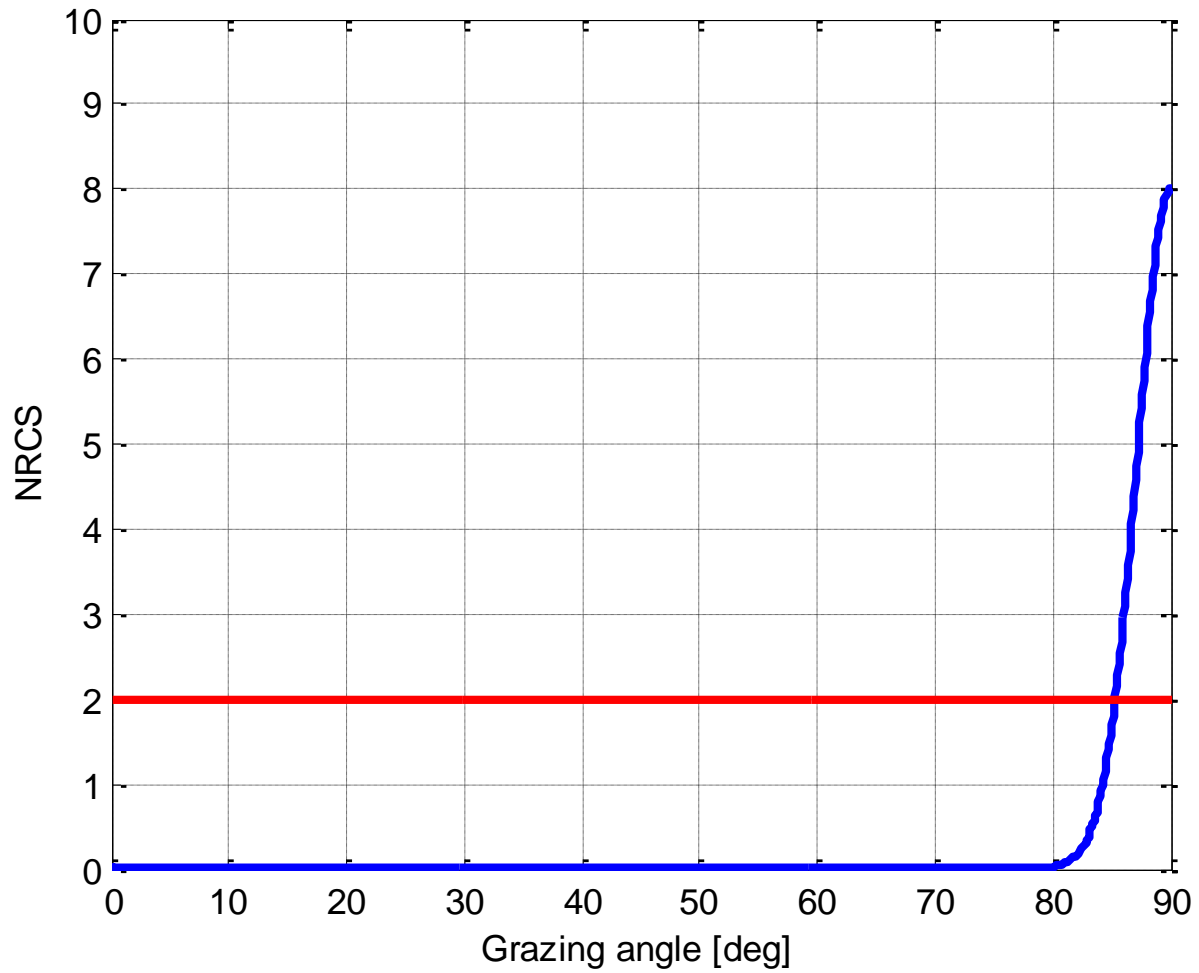


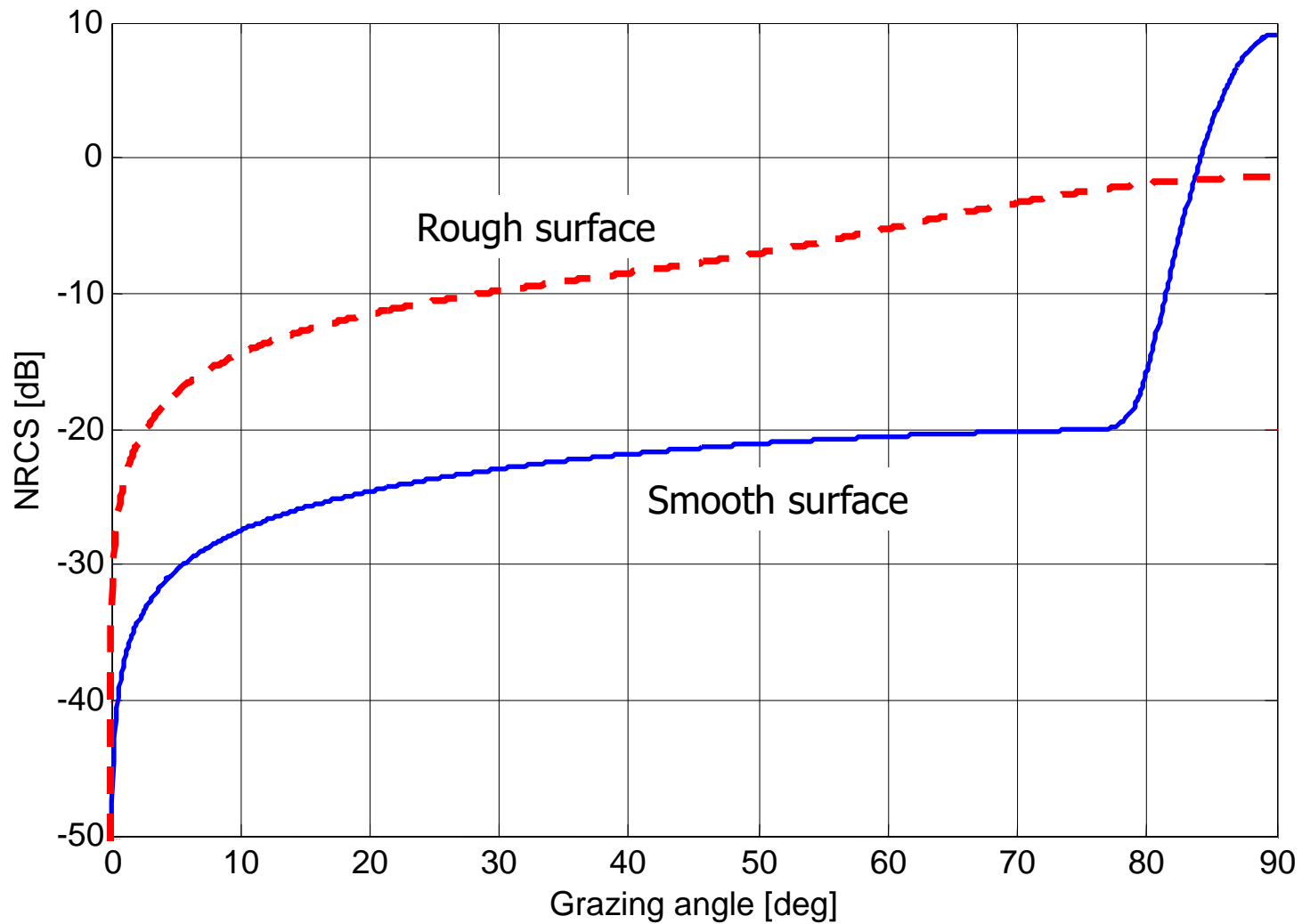
Typical $\sigma^0(\alpha)$ - Normalized radar cross section (NRCS)



$$\sigma_0(\alpha) = \gamma \sin \alpha + \beta \exp\left[\frac{-\left(\frac{\pi}{2} - \alpha\right)^2}{\delta^2}\right], \quad \gamma = 0.01, \quad \beta = 8, \quad \delta = \frac{\pi}{180} 4$$

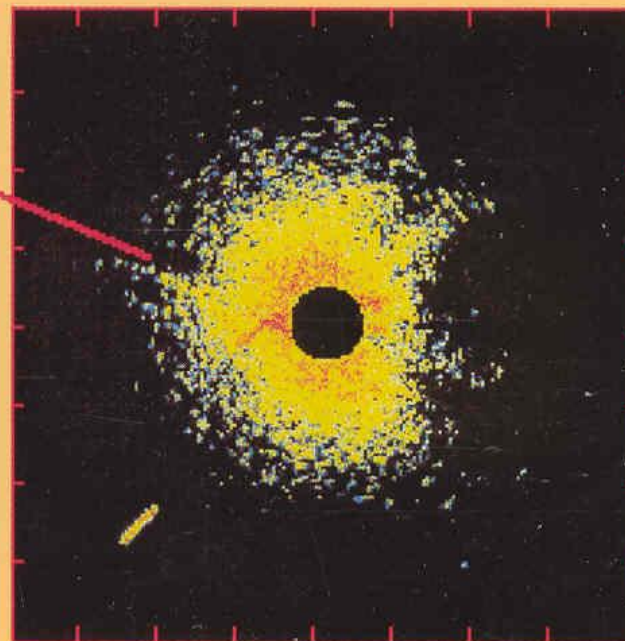
Linear
scale





HH Polarization

VV Polarization



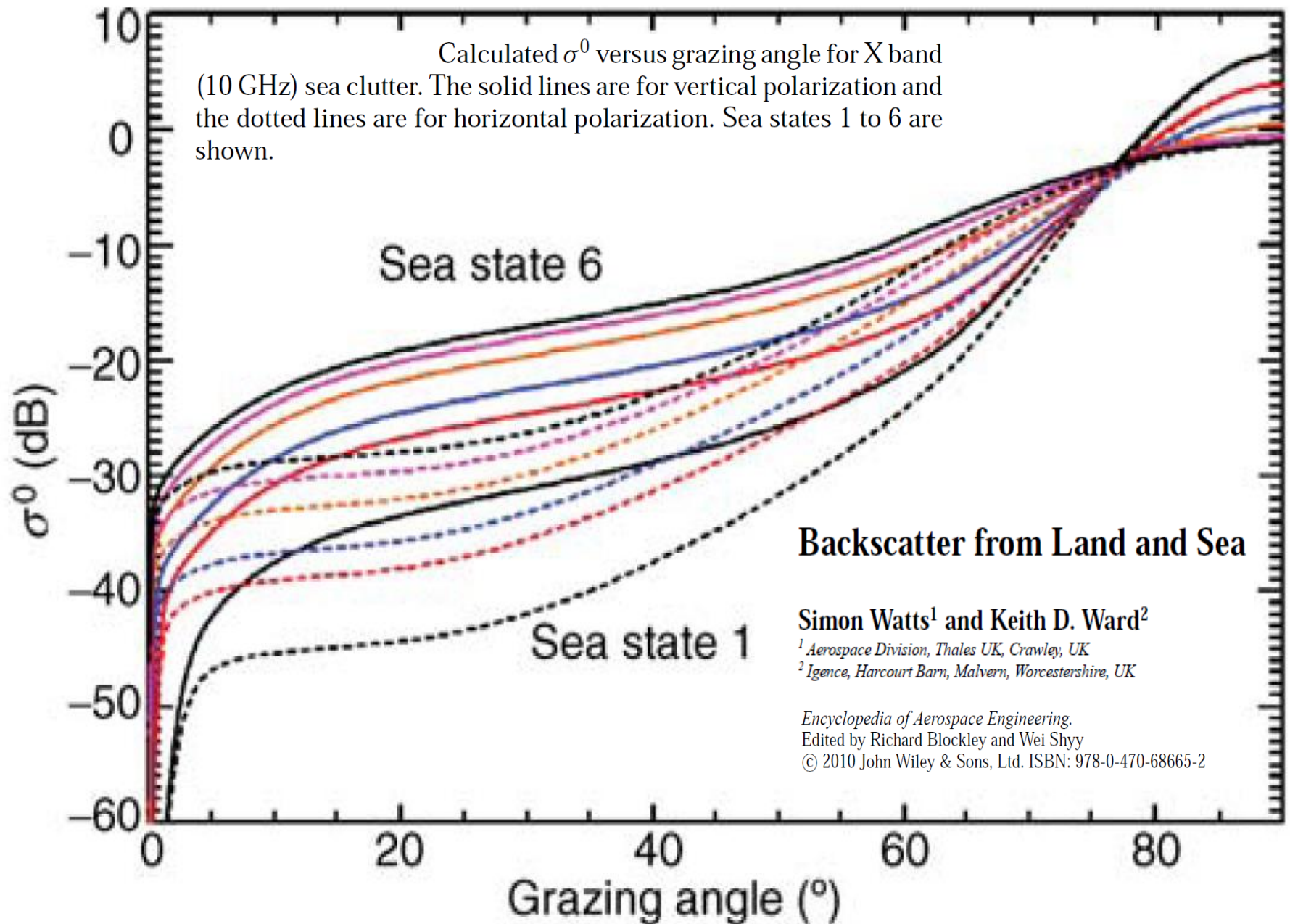
NRCS (dB)

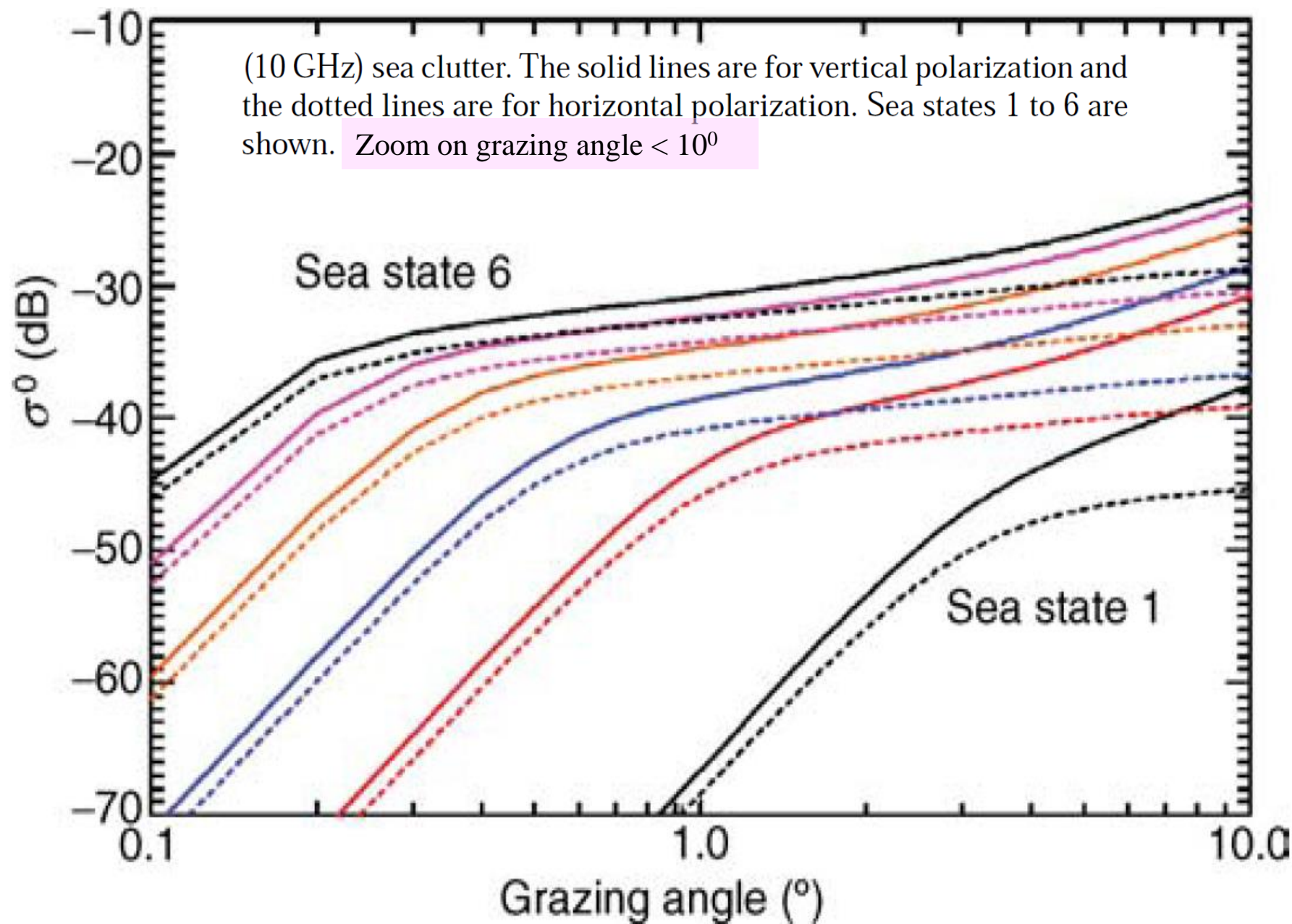


Horizontally (left) and vertically (right) polarized X-band marine radar images collected during the joint ONR/NRL High Resolution Experiment show polarization effects due to different scattering mechanisms associated with wave breaking along a convergence front under study

From: D.B. Trizna: "A model for Brewster angle damping and multipath effects on the microwave radar sea echo at low grazing angle", *IEEE Transactions on Geoscience and Remote Sensing*, Vol. 35, No. 5, Sept. 1997, pp. 1232-1244.

Rip - a piece of rough water where two currents meet





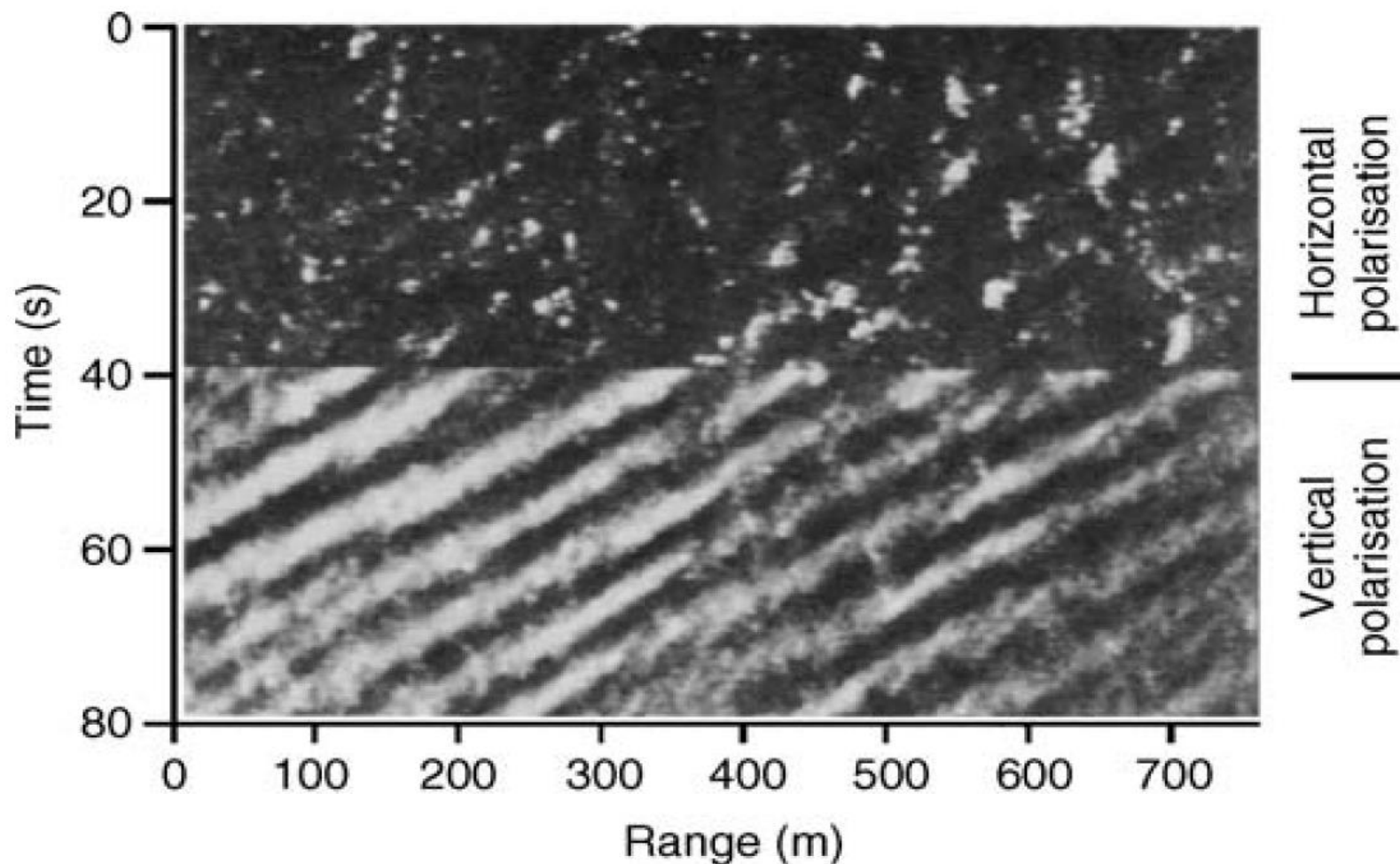
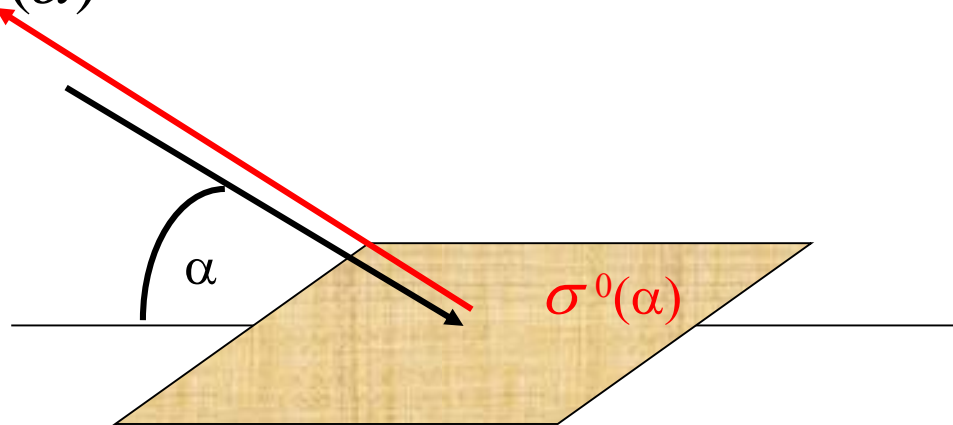


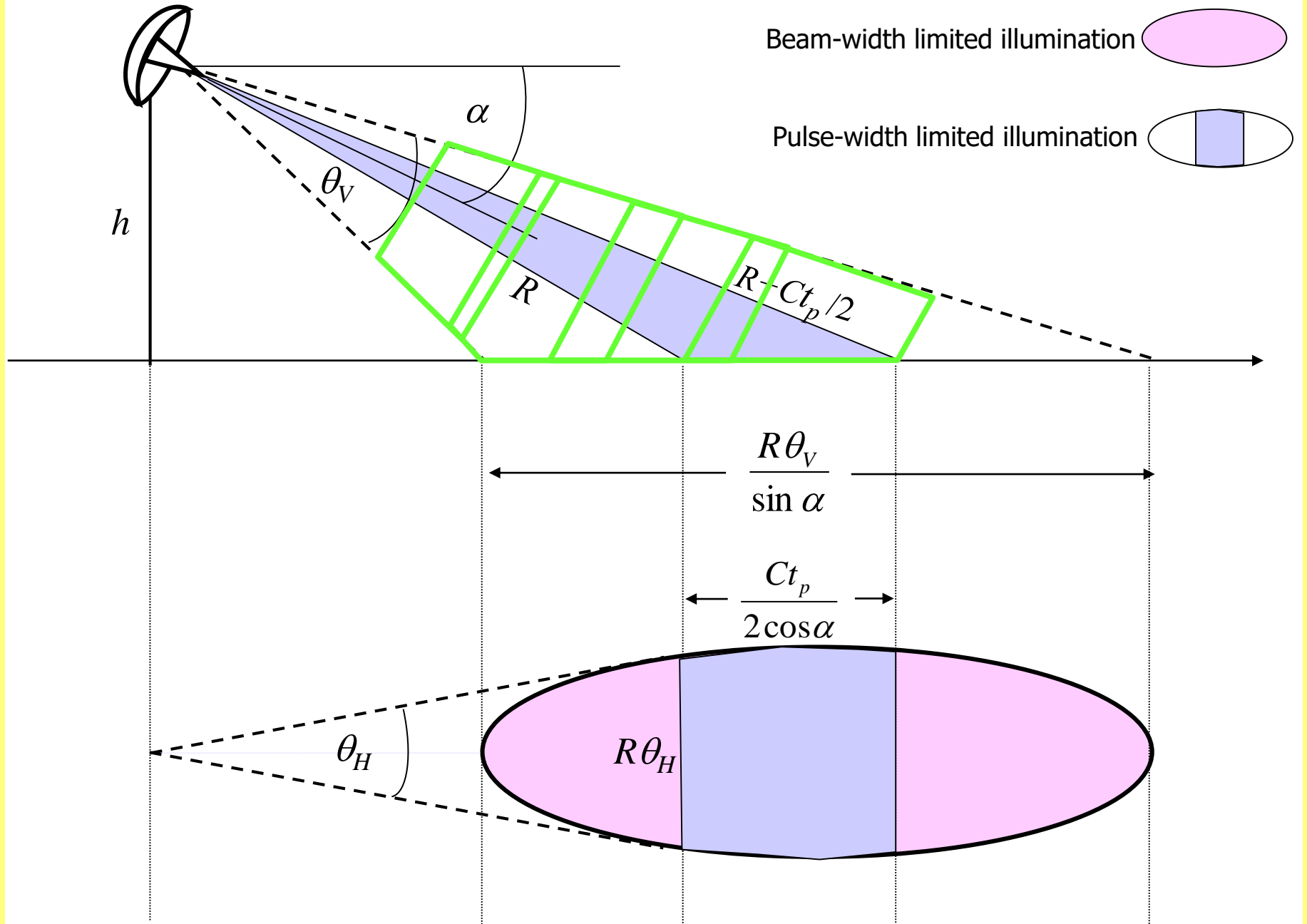
Figure 8. Range-time intensity plot of sea clutter averaged over 250 successive pulses to remove the speckle component, revealing the underlying mean level. After 60 s, the radar was switched from vertical to horizontal polarization.

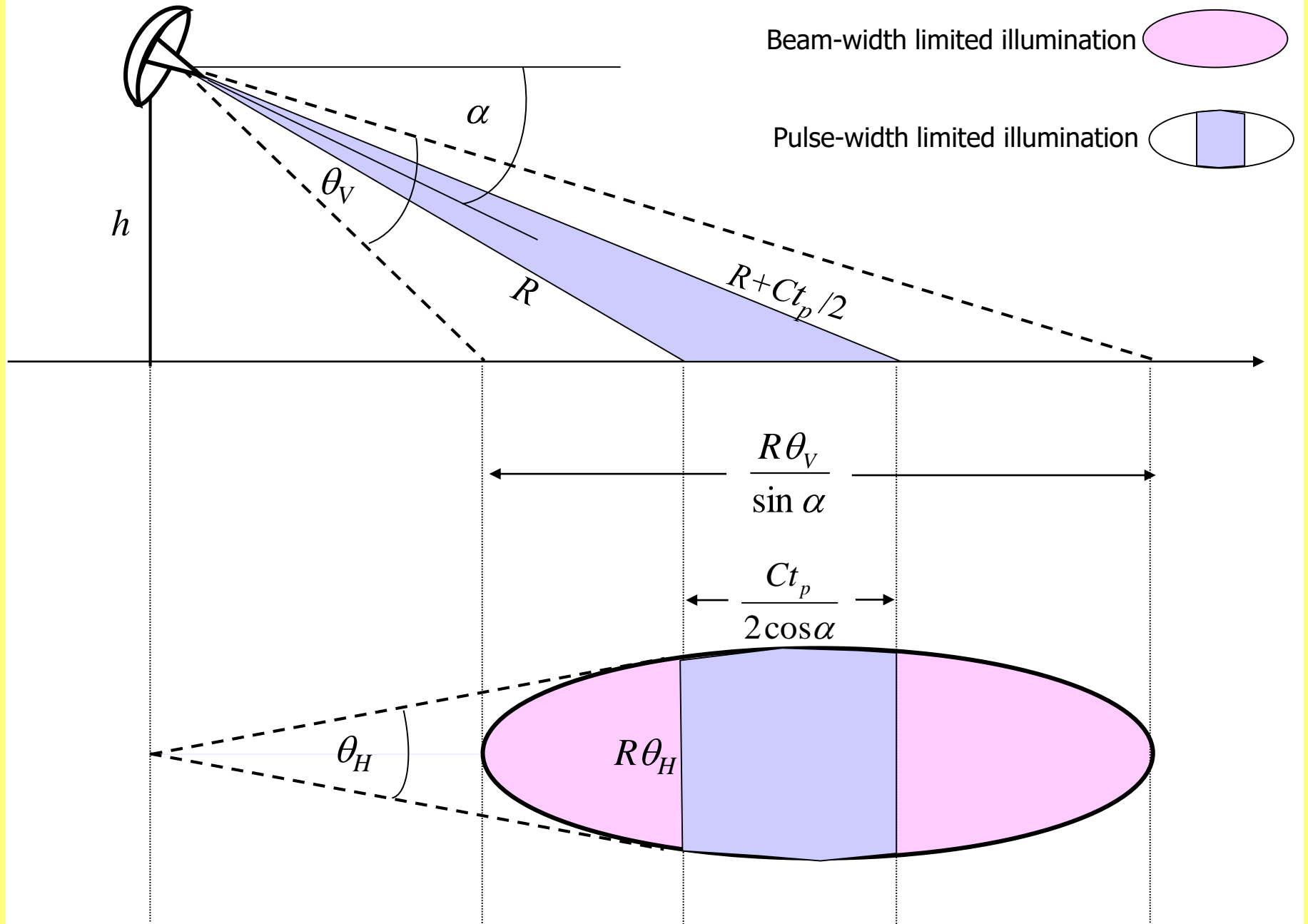
Area integration of $\sigma^0(\alpha)$

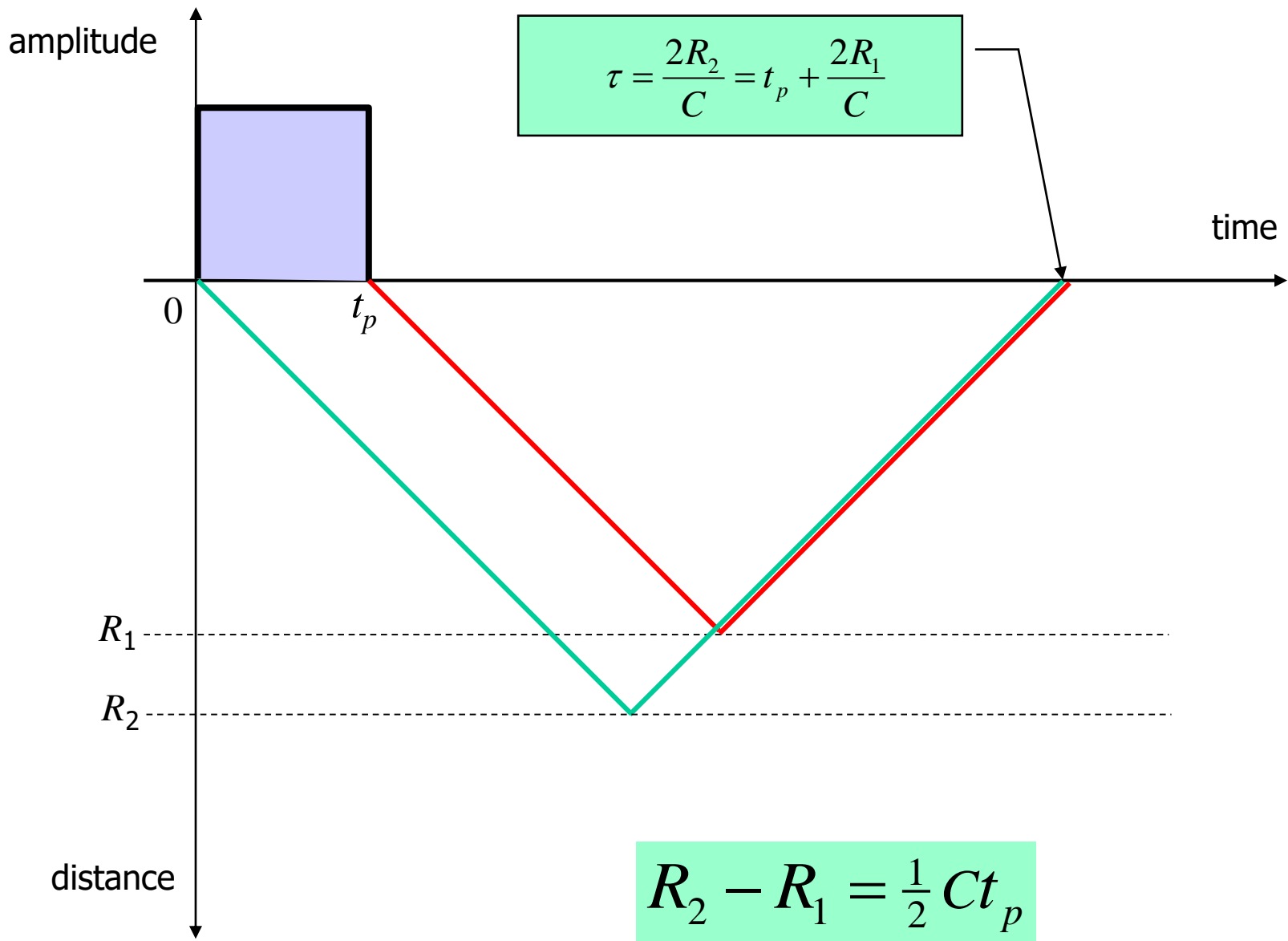
$$d\sigma = dA\sigma^0(\alpha)$$

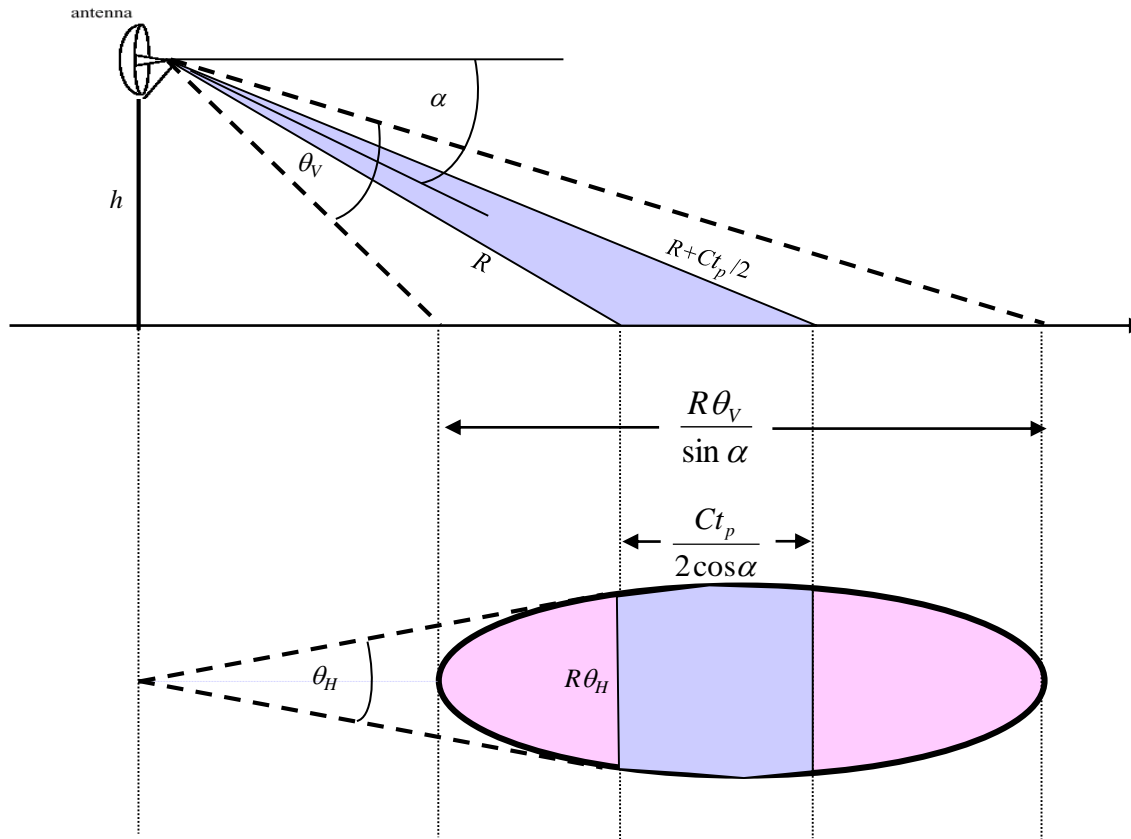


Area element = dA

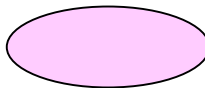






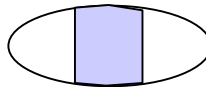


Beam-width limited illumination



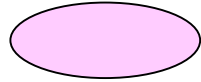
$$A_{bqli} = \frac{\pi R^2 \theta_H \theta_V}{4 \sin \alpha}$$

Pulse-width limited illumination



$$A_{pwli} = \frac{Ct_p R \theta_H}{2 \cos \alpha}$$

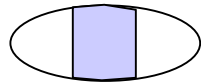
Beam-width limited illumination



$$A_{bwli} = \frac{\pi R^2 \theta_H \theta_V}{4 \sin \alpha}$$

$$P_R = \frac{P_T G^2 \lambda^2}{(4\pi)^3} \frac{\pi \theta_H \theta_V \sigma^0(\alpha)}{4 \sin \alpha} \frac{1}{R^2}$$

Pulse-width limited illumination



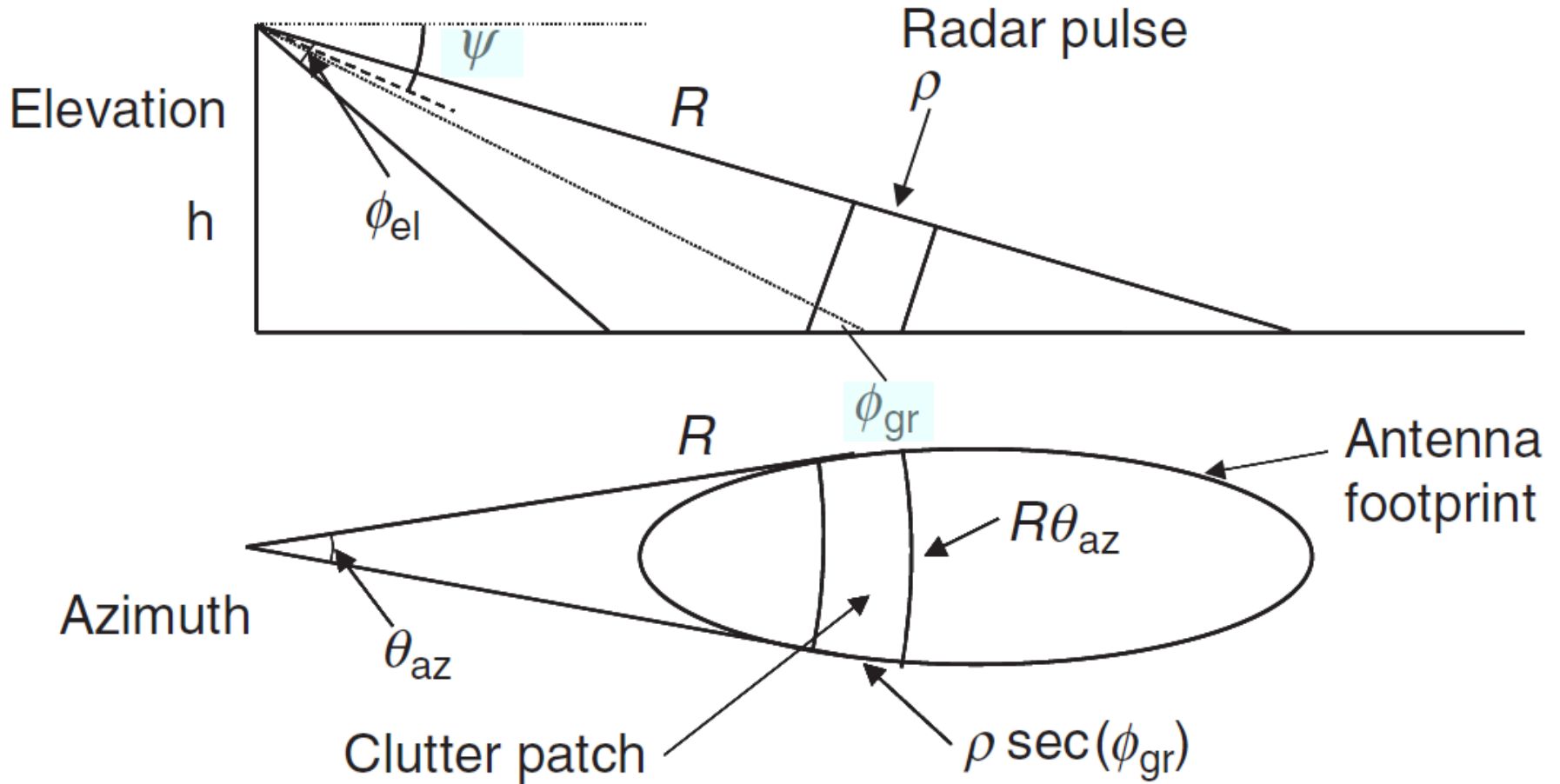
$$A_{pwli} = \frac{C t_p R \theta_H}{2 \cos \alpha}$$

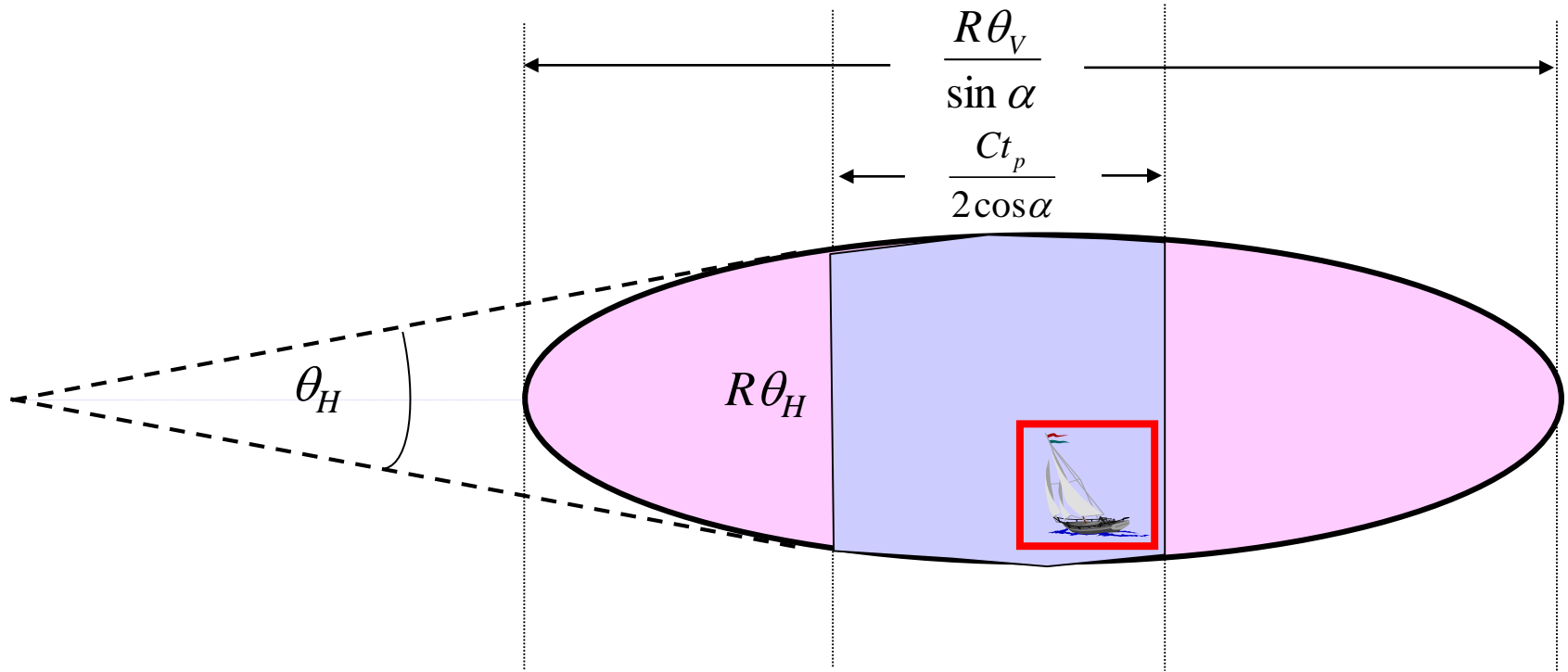
$$P_R = \frac{P_T G^2 \lambda^2}{(4\pi)^3} \frac{C t_p \theta_H \sigma^0(\alpha)}{2 \cos \alpha} \frac{1}{R^3}$$

Taking into consideration the Earth curvature

$$\psi = \sin^{-1} \left(\frac{R^2 + h^2 + 2r_E h}{2R(r_E + h)} \right)$$

$$\phi_{gr} = \sin^{-1} \left(\frac{h}{R} + \frac{h^2}{2r_E R} - \frac{R}{2r_E} \right), \quad r_E \approx \frac{4}{3} \text{ Earth radius}$$



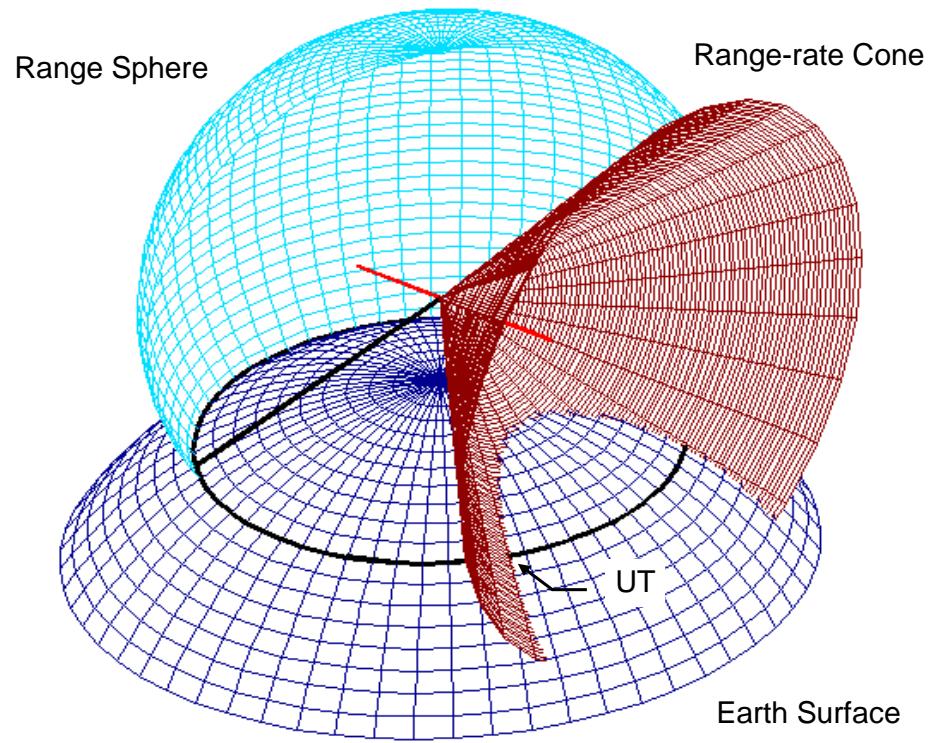


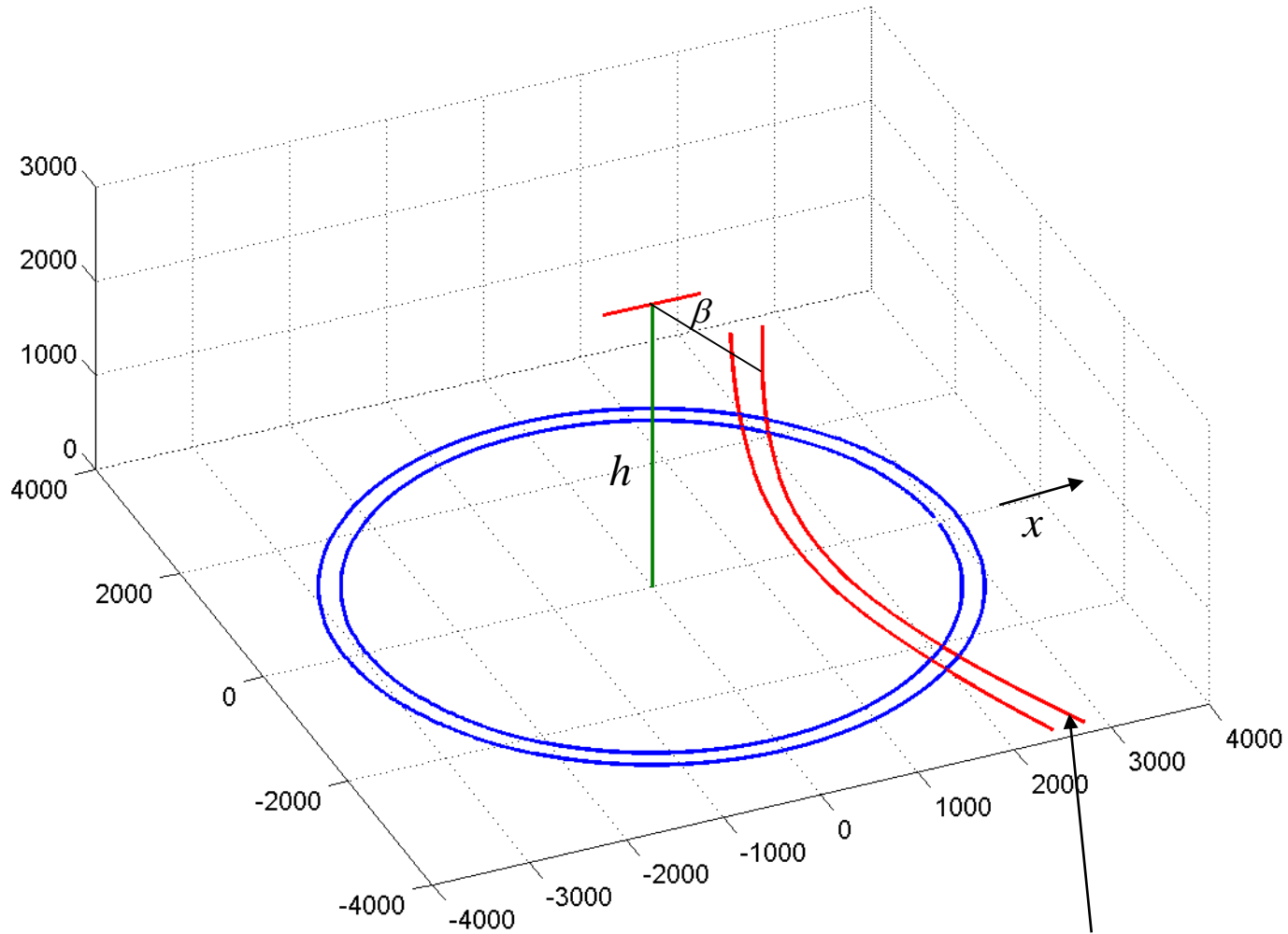
A major challenge in radar design:

Reduce the illuminated clutter area in order not to obscure the target.

How?

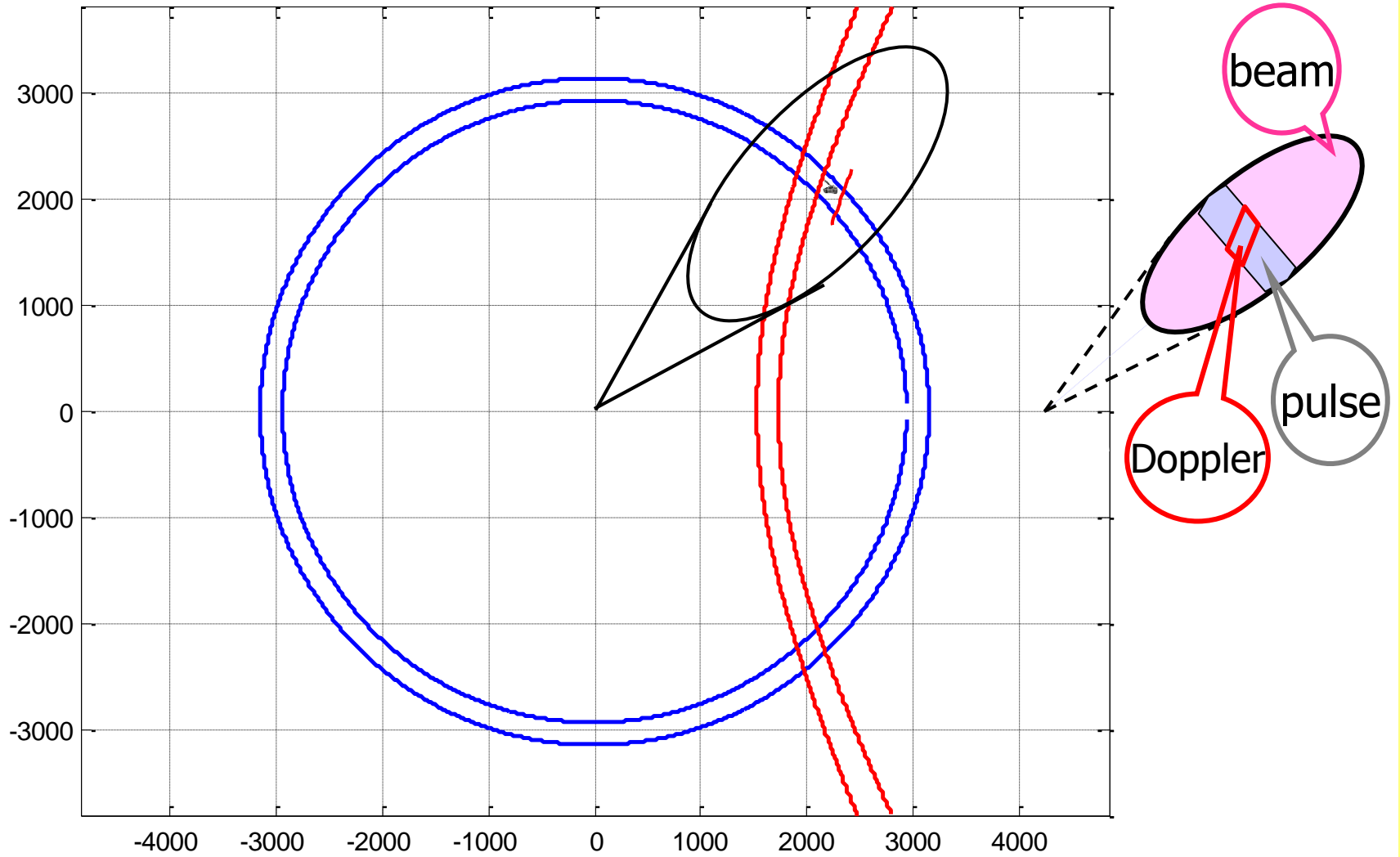
- Reduce effective pulse-width (pulse compression)
- Reduce horizontal beamwidth (SAR in airborne radar)
- Utilize the difference in Doppler between clutter and moving targets (in stationary radar)
- Utilize Doppler processing (in airborne radar)





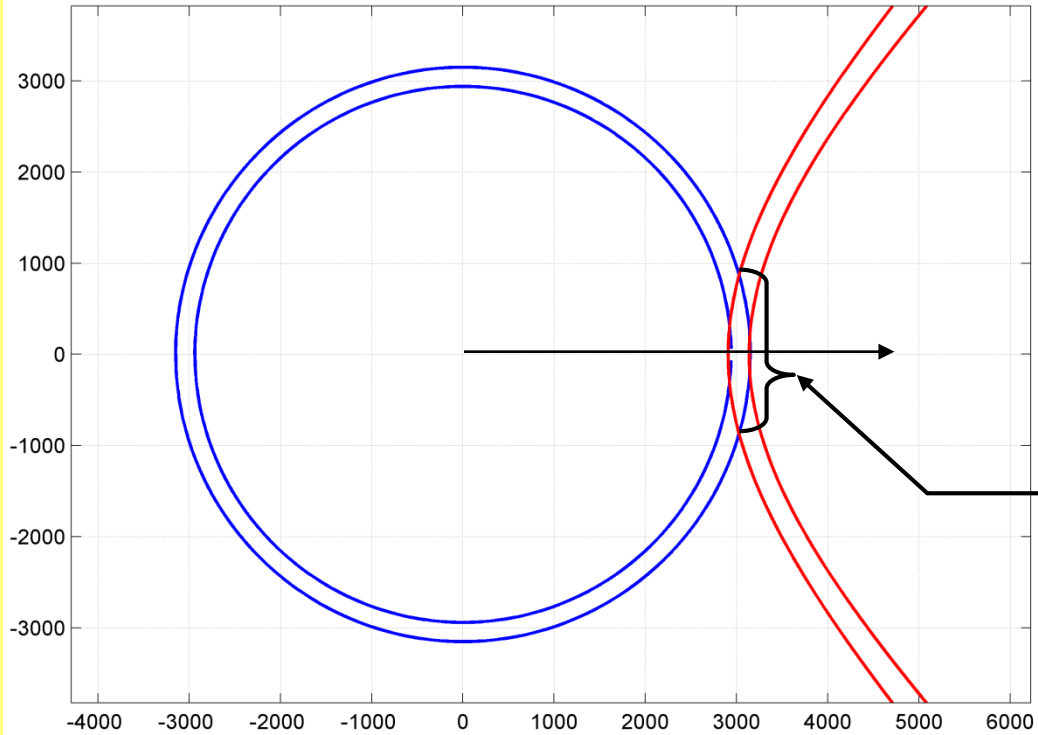
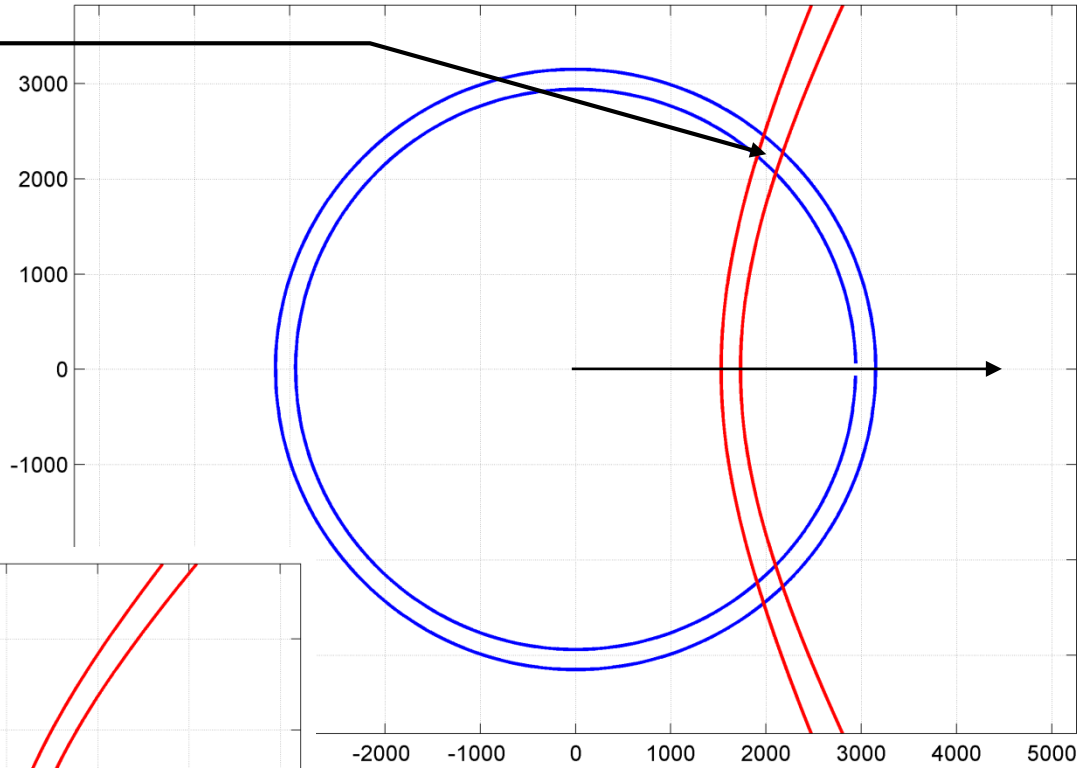
$$x^2 = (y^2 + h^2) \cot^2 \beta$$

*Doppler processing involves a coherent pulse train. Hence more circles and hyperbolas.

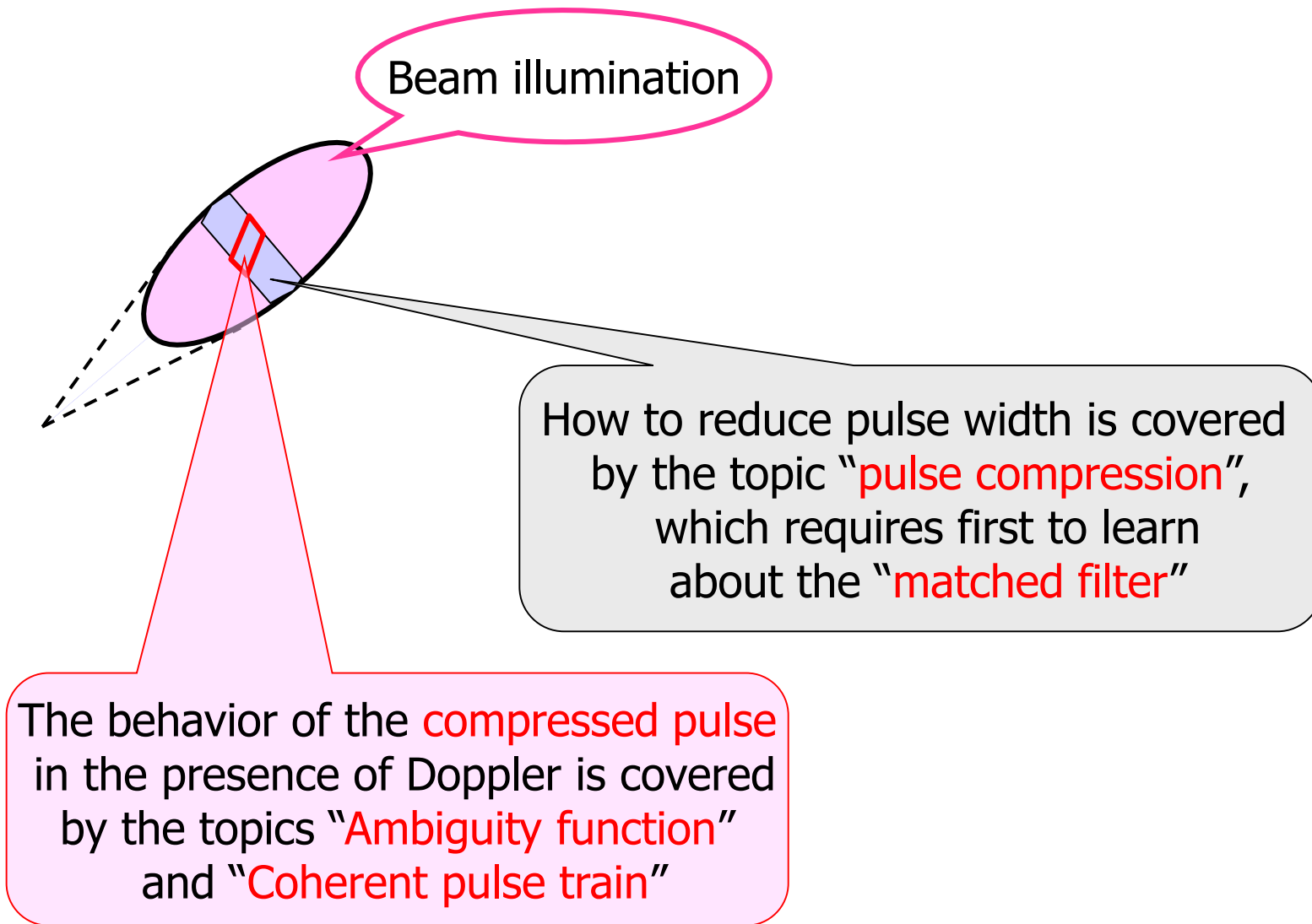


Off subtrack illumination
 → good azimuth resolution

In addition to range resolution and Doppler resolution, the size of the reflecting ground patch, is affected by the geometry. This result belongs to the topic of:
Geometric Dilution Of Precision (GDOP)



Near subtrack illumination
 → poor azimuth resolution.
 Iso-Doppler and iso-range
 cells coincide.



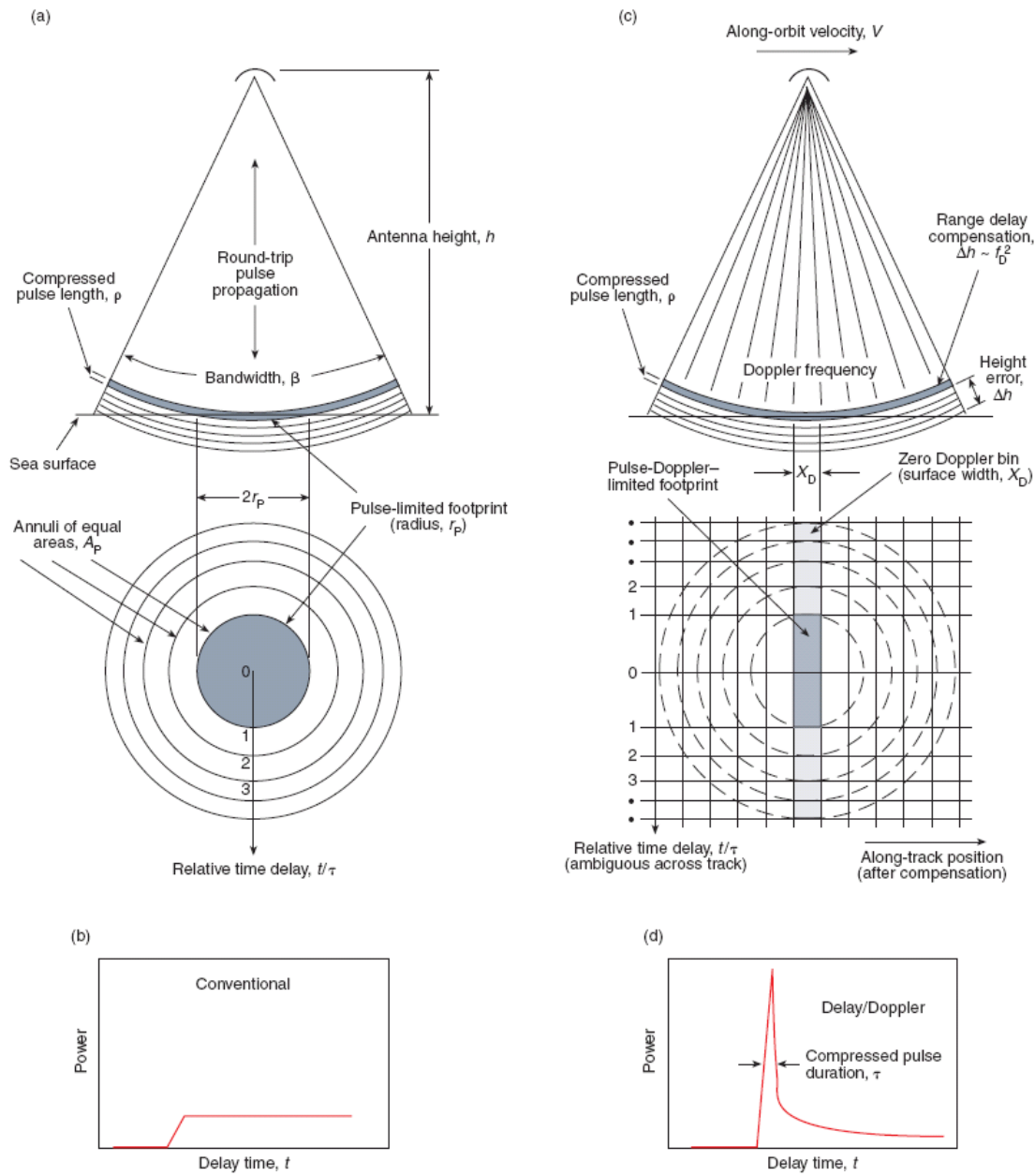
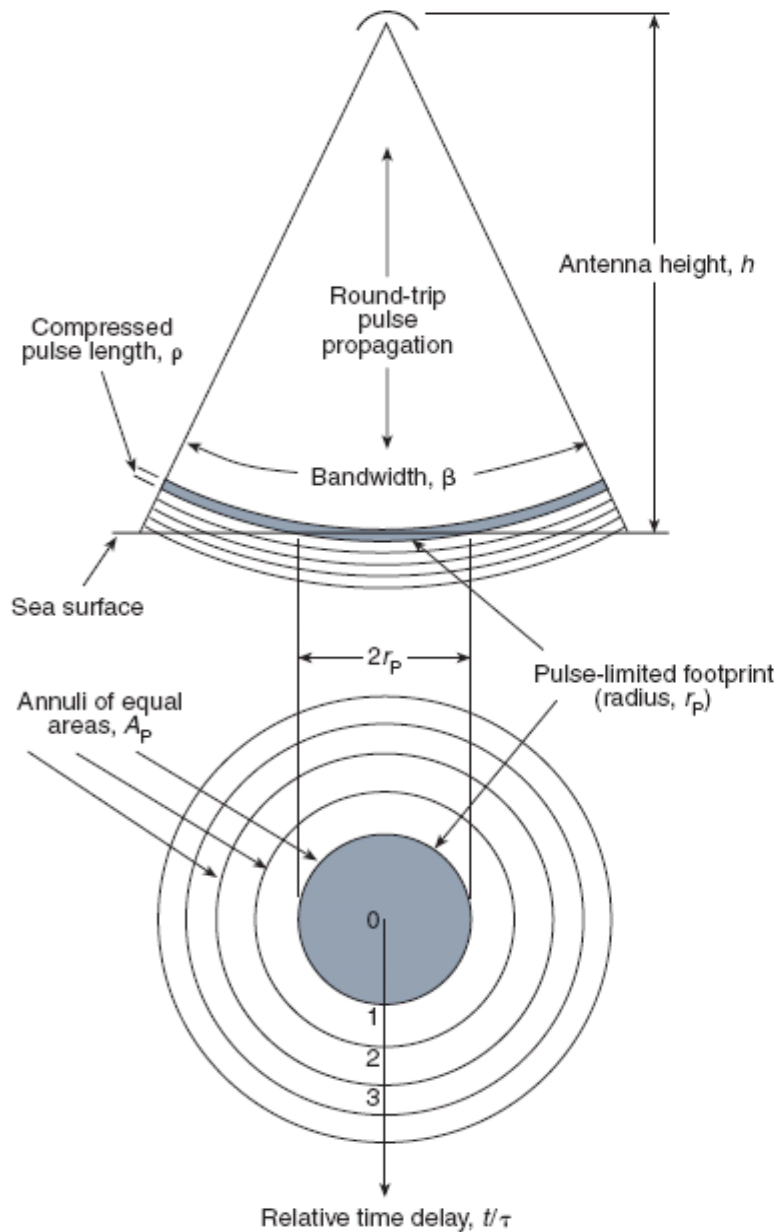


Figure 1. Comparison of a conventional pulse-limited radar altimeter's (a) illumination geometry (side view) and footprint (plan view) and (b) impulse response, with a delay/Doppler altimeter's (c) illumination geometry and footprint and (d) impulse response.

(a)



(c)

